

# Two-photon imaging using adaptive phase compensated ultrashort laser pulses

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**Abstract.** An adaptive pulse shaper controlled by multiphoton intrapulse interference phase scanning was used with a prism-pair compressor to measure and cancel high-order phase distortions introduced by a high-numerical-aperture objective and other dispersive elements of a two-photon laser-scanning microscope. The delivery of broad-bandwidth ( $\sim 100$  nm), sub-12-fs pulses was confirmed by interferometric autocorrelation measurements at the focal plane. A comparison of two-photon imaging with transform-limited and second-order-dispersion compensated laser pulses of the same energy showed a 6-to-11-fold improvement in the two-photon excitation fluorescence signal when applied to cells and tissue, and up to a 19-fold improvement in the second harmonic generation signal from a rat tendon specimen. © 2009 Society of Photo-Optical Instrumentation Engineers. [DOI: 10.1117/1.3059629]

**Keywords:** multiphoton microscopy; cell imaging; two-photon excited fluorescence; chromatic dispersion; ultrashort pulse; adaptive dispersion compensation; multiphoton intrapulse interference phase scan.

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## 1 Introduction

Since its introduction in 1990 by Denk et al.,<sup>1</sup> two-photon excitation fluorescence (TPEF) microscopy has become a valuable tool for high-resolution imaging in living tissue. It is well recognized that multiphoton excitation based microscopy has a number of advantages over single-photon excitation techniques, including confocal capability without a pinhole; greater penetration depth; and minimal, spatially confined photodamage.<sup>2-6</sup> However, the full potential of ultrashort laser pulses with adaptive pulse compression remains largely unexploited in multiphoton microscopy (MPM).

Within certain limits, TPEF efficiency, i.e., the number of produced TPEF photons per given laser pulse energy at the sample, depends linearly on the inverse of the laser pulse duration, as illustrated in Fig. 1. Previously available pulse durations were limited to 100 to 150 fs; however, one can now purchase laser systems that produce pulses an order of magnitude shorter. Despite the advances in ultrafast laser technology, most research groups and instrument manufacturers still use the same pulse durations ( $\geq 100$  fs) as those available in the 1990s. In this paper, the use of pulse duration as an optimization parameter for TPEF microscopy is discussed in detail. We review advantages and disadvantages of using ultrashort laser pulses in MPM. We elaborate on the compensation of phase distortions introduced by the microscope optical train, including high numerical aperture (NA) optics. Finally, we describe a two-photon laser-scanning microscope setup that delivers sub-12-fs pulses at the focus of a high-NA microscope objective, then demonstrate the effi-

ciency of the implemented phase compensation scheme when applied to TPEF microscopy. This work concentrates on improving nonlinear optical imaging by reducing pulse duration; the effect of ultrashort pulses on photobleaching<sup>7-9</sup> and photodamage<sup>10,11</sup> will be reported elsewhere.

## 2 Optimal Pulse Duration for Two-Photon Excitation

As dictated by the inverse relation between time and energy, the shorter the pulse duration, the broader the pulse spectrum. For a Gaussian, transform-limited (TL) laser pulse, the time-bandwidth product  $\Delta\nu \cdot \Delta t$  is known to be  $2 \ln(2) / \pi \approx 0.44$ , which corresponds to  $\Delta\lambda \cdot \Delta t \approx 940$  nm·fs if the laser spectrum is centered at 800 nm. From the last expression it follows that the spectrum of a 10-fs pulse has a full width at half maximum (FWHM) of  $\sim 100$  nm. This observation has been used to imply that such pulses would exceed the width of the absorption spectrum of most fluorophores of interest and are therefore not practical for MPM.<sup>4</sup> That conclusion, however, misses two important points.

First, two-photon absorption (TPA) spectra of most dye molecules and quantum dots do not exhibit discrete, well-isolated resonant peaks like their single-photon absorption spectra. TPA spectra usually extend to shorter / blue wavelengths.<sup>12</sup> This is one of the reasons why two-photon excitation (TPE) can be used to activate a broad range of fluorophores with a single laser source. Note that TPE is defined entirely by the laser pulses used, while TPA depends on molecular properties.

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**Table 1** FWHM time duration ( $\tau_{\text{FWHM}}$ ) and the corresponding spectral widths of the laser pulse ( $\Delta\lambda_L$ ), TPE profile ( $\Delta\lambda_{\text{TPE}}$ ), and two-photon field intensity ( $\Delta\lambda^{(2)}$ ) for TL Gaussian laser pulses centered at 800 nm.

$\tau_{\text{FWHM}}$ (fs)	10	20	30	50	100
$\Delta\lambda_L$ (nm)	100	50	30	20	10
$\Delta\lambda_{\text{TPE}}$ (nm)	70	35	20	14	7
$\Delta\lambda^{(2)}$ (nm)	35	18	10	7	3.5

60 +Second, the effective bandwidth of TPE for a Gaussian  
 61 pulse is  $\sqrt{2}$  smaller than the FWHM of the input radiation  
 62 because of the quadratic dependence of the excitation prob-  
 63 ability on the laser intensity. The total yield of TPEF is pro-  
 64 portional to the integrated product of the two-photon cross-  
 65 section  $g^{(2)}(\omega)$ , where  $\omega$  is the frequency, and the spectral  
 66 intensity  $I^{(2)}(\omega)$  of the so-called two-photon field is

67 
$$S \propto \int g^{(2)}(\omega) I^{(2)}(\omega) d\omega. \quad (1)$$

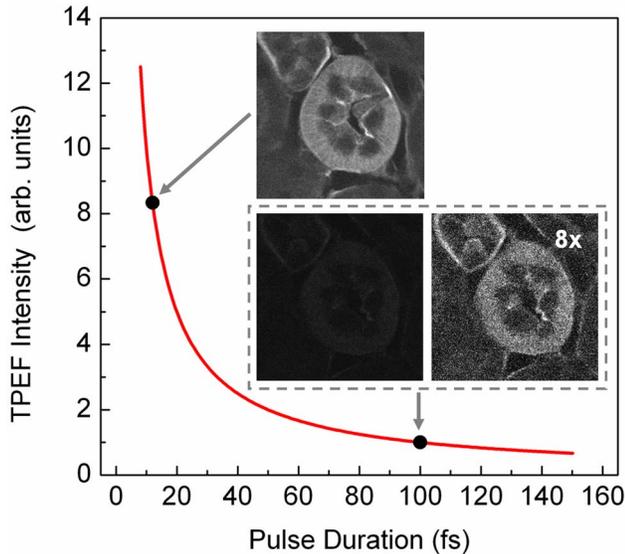
68 Here,  $I^{(2)}(\omega) \equiv |\int E^2(t) \cdot \exp[i\omega t] dt|^2$ , and  $E(t)$  is the electric  
 69 field strength of the light interacting with fluorophores, which  
 70 is related to the spectral intensity  $I(\omega)$  and phase  $\varphi(\omega)$  of the  
 71 incoming pulse as

$$E(t) \propto \int \sqrt{I(\omega)} \cdot \exp[i\varphi(\omega)] \cdot \exp[-i\omega t] d\omega. \quad (2)$$

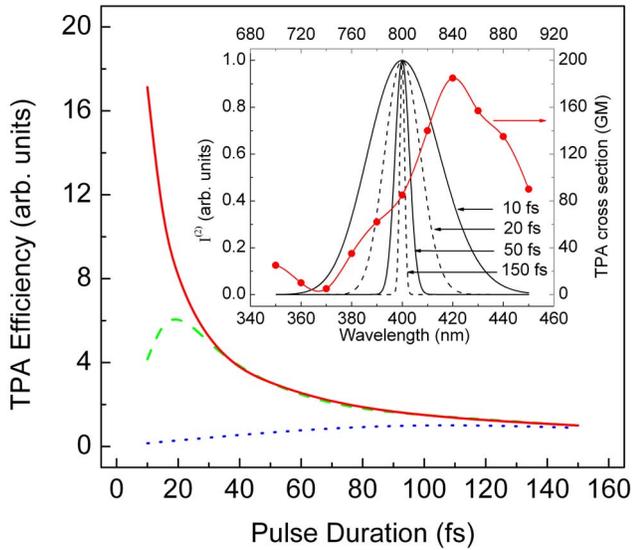
If the pulse is not too short, i.e., the TPE spectrum is narrower  
 than the TPA spectrum, one can substitute  $g(\omega)$  in Eq. (1)  
 with a constant, and the yield becomes just proportional to the  
 integral under the spectrum of the effective two-photon field  
 intensity. For a TL Gaussian pulse having the spectral inten-  
 sity profile  $I(\omega) \propto \exp[-4 \ln(2) \cdot (\omega - \omega_0)^2 / \Delta\omega_L^2]$ , where  $\omega_0$  is  
 the carrier frequency and  $\Delta\omega_L$  is the FWHM bandwidth, one  
 can obtain a simple analytical relation between the spectral  
 bandwidths of the incoming pulse and the  $I^{(2)}(\omega)$  profile,  
 $\Delta\omega^{(2)} = \sqrt{2} \Delta\omega_L$  (in the wavelength domain, it takes the form  
 $\Delta\lambda^{(2)} \approx \Delta\lambda_L / (2\sqrt{2})$ ). At the fundamental frequency, the TPE  
 bandwidth is  $\Delta\omega_{\text{TPE}} = \Delta\omega_L / \sqrt{2}$ . The same relation holds for  
 $\Delta\lambda_{\text{TPE}}$  and  $\Delta\lambda_L$ .

Table 1 summarizes the calculated bandwidths of the in-  
 coming radiation, TPE, and two-photon field intensity for a  
 few different FWHM time durations of a TL Gaussian laser  
 pulse centered spectrally at 800 nm. The respective two-  
 photon field intensity spectra are plotted in the inset of Fig. 2.  
 The TPA spectrum of cyan fluorescent protein (CFP) is given  
 as an example. One can infer that even for a 20-nm wide  
 absorption band, the use of laser pulses 10-fold shorter than  
 100 to 150 fs is beneficial and would produce the expected  
 linear increase in the excitation efficiency. However when the  
 TPE bandwidth becomes comparable with the bandwidth of  
 TPA, the dependence deviates from linear and eventually  
 saturates.

Finally, note that femtosecond lasers have historically been  
 expensive and difficult to operate. For a long time, the gener-  
 ation of ultrashort pulses has been a task reserved for highly  
 specialized research groups that focused on laser develop-  
 ment. This paradigm has changed dramatically in the last few  
 years. Today, several companies offer single-box laser sys-  
 tems capable of producing  $\sim 10$ -fs pulses (for example, Co-  
 herent, CA; KMLabs, Boulder, CO; FemtoLasers, Vienna,  
 Austria). These systems are simpler, more stable, and less  
 expensive than the standard 100 to 150-fs pulse lasers pres-  
 ently used for TPEF microscopy. The stability comes from the  
 fact that the nonlinear Kerr-lens mode-locking process is  
 more pronounced for shorter pulses. Since these laser systems  
 have a broad spectral bandwidth, there is less of a need to  
 make them tunable; therefore, they have fewer parts. The use



**Fig. 1** Expected dependence of TPEF intensity on laser pulse duration, assuming the system response is instantaneous (i.e., two-photon absorption efficiency is the same throughout the pulse spectrum) and laser pulses are transform-limited. Inset: TPEF imaging of a commercial mouse kidney slide (Molecular Probes, F-24630) with 12-fs and 100-fs laser pulses. The average laser power on the sample and other acquisition parameters are the same. The excitation spectra are centered at 810 nm. The objective used is Zeiss LD C-Apochromat 40x/1.1 NA. The net gain in signal is about 8-fold.



**Fig. 2** (Color online) TPA efficiency as a function of the TL pulse duration (as a measure of available spectral bandwidth), calculated for CFP when pulses are TL (solid red line); laser pulses have a GDD of  $4000 \text{ fs}^2$  (dotted blue line); and laser pulses have a TOD of  $4000 \text{ fs}^3$  (dashed green line). The values are normalized on TPA efficiency for 150-fs TL pulses. Inset: Calculated two-photon field intensity spectra for different laser pulse durations (black lines). The pulses are assumed to be TL, having the Gaussian profile. The TPA spectrum of CFP, adapted from Ref. 4, is shown in red. (Color online only).

114 of chirped mirrors instead of prisms in some models allows  
115 for a more compact design.<sup>13,14</sup>

### 116 3 Compensation of Phase Distortions

117 This section addresses the problem of spectral phase distortions  
118 introduced by microscope objectives and other dispersive  
119 components of the optical train. It is a common practice  
120 to distinguish the first two orders of dispersion, group delay  
121 dispersion (GDD) and third-order dispersion (TOD), which  
122 correspond respectively to  $\varphi''$  and  $\varphi'''$  in the Taylor series  
123 expansion of the pulse spectral phase  $\varphi(\omega)$  about the carrier  
124 frequency  $\omega_0$ :

$$125 \quad \varphi(\omega) = \varphi_0 + \varphi' \cdot (\omega - \omega_0) + \frac{1}{2} \varphi'' \cdot (\omega - \omega_0)^2$$

$$126 \quad + \frac{1}{6} \varphi''' \cdot (\omega - \omega_0)^3 + \dots \quad (3)$$

127 GDD causes different frequency components of the pulse to  
128 arrive at the sample at different times, effectively increasing  
129 the pulse duration, while TOD breaks the pulse into sub-  
130 pulses. A typical high-NA microscope objective introduces  
131  $\sim 4,000 \text{ fs}^2$  of GDD and  $\sim 2,500 \text{ fs}^3$  of TOD.<sup>15,16</sup> This  
132 amount of nonlinear spectral phase distortion is sufficient to  
133 broaden a 10-fs pulse to more than one picosecond; however,  
134 with pre-compensation, it is possible to deliver the 10-fs pulse  
135 to the sample. A simple prism pair can compensate for GDD.  
136 Such a correction would cause a modest  $\sim 3\times$  increase in  
137 signal when using 10-fs pulses instead of 150-fs pulses of the  
138 same energy. Unfortunately, the prism pair introduces a sig-

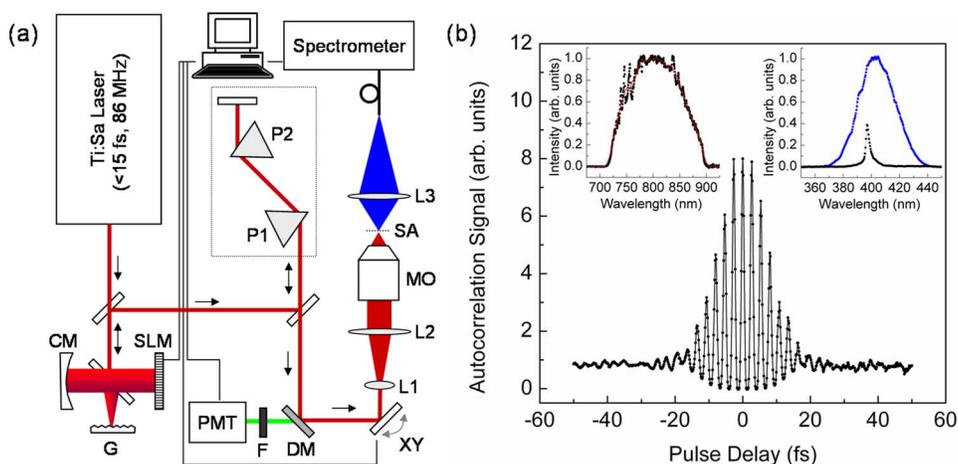
nificant amount of additional TOD. Only by correcting for  
both GDD and TOD to ensure TL pulses (i.e., pulses with no  
dispersion) would result in the expected  $15\times$  improvement in  
signal for two-photon microscopy.

We performed a simulation for CFP where the efficiency of  
TPA was investigated as a function of pulse duration. The  
results are summarized in Fig. 2. Here we refer to FWHM  
pulse duration when the pulses are TL; the actual parameter is  
their spectral bandwidth. For this simulation we first considered  
only the increase in peak intensity, which resulted in a  
 $17\times$  increase in TPA efficiency from 150 to 10 fs (solid red  
line). On the other hand, tuning a narrowband laser exactly on  
resonance with the TPA of CFP would lead to the signal enhancement  
by only a factor of 2. Therefore, a 10-fold improvement due to  
shortening the excitation pulse is still expected. When TOD is  
not corrected, spectrally broader pulses no longer assure greater  
TPA efficiency (dashed green line). Finally, uncorrected GDD leads  
to the monotonous decrease of TPA efficiency when the pulse  
bandwidth is increased from about 6 nm (150-fs TL pulse) to  
100 nm (dotted blue line). Clearly, the calculations show that the  
correction of GDD and TOD is essential to achieve the greatest  
efficiency.

The calculations agree with a common experimental observation  
that in a typical microscope setup, the dispersion of laser pulses  
shorter than  $\sim 150 \text{ fs}$  needs to be pre-compensated.<sup>17,18</sup> TL  
pulse durations down to  $\sim 60 \text{ fs}$  (spectral bandwidth of  $\sim 15 \text{ nm}$ ,  
centered at 800 nm) have been shown to be restored at the objective  
lens focus with a simple prism-pair compressor,<sup>19</sup> i.e., by correcting  
only for GDD. Furthermore, the linear dependence of TPEF signal  
on the bandwidth of the pump pulse has been demonstrated with  
GDD-only compensation up to 30 to 35 nm.<sup>20–22</sup> The spectral  
bandwidth of  $\sim 45 \text{ nm}$ , however, already requires accounting for  
TOD, which further increases the complexity of the setup.<sup>23</sup> To  
correct for TOD, Muller et al. combined the prism-pair compressor  
with a properly chosen dielectric mirror assembly.<sup>23</sup> Fork et al.  
utilized a combination of prisms and diffraction gratings,<sup>24</sup> while  
Larson and Yeh reported the design of a single multilayer mirror  
to minimize the GDD and TOD of an objective.<sup>16</sup> Grisms (gratings  
in optical contact with a prism) are another modality that can  
simultaneously compensate for GDD and TOD;<sup>25</sup> however, all these  
designs are static, i.e., they require meticulous tailoring of their  
parameters and are applicable to a specific optical setup (laser  
and microscope objective).

The other aspect that obviously requires attention when the  
pulse duration is reduced down to tens of femtoseconds is a  
comprehensive characterization of the laser pulse dispersion beyond  
GDD. Several methods have been developed to replace the  
interferometric autocorrelation as a standard pulse characterization  
technique. Now pulse characterization is routinely performed using  
the frequency-resolved optical gating (FROG) technique, which  
retrieves the phase of the pulse from a spectrally resolved  
autocorrelation.<sup>26</sup> Another popular method that can achieve greater  
accuracy is spectral phase interference for direct electric-field  
reconstruction (SPIDER).<sup>27</sup>

Despite the indicated progress, the use of ultrashort pulses  
(below 50 fs) for two-photon microscopy has been deemed  
impractical.<sup>28</sup> The proposed schemes were not flexible enough



**Fig. 3** MPM with ultrashort laser pulses. (a) Schematics of a MIIPS-enabled two-photon laser scanning microscope, where G=grating; CM=curved mirror; SLM=spatial light modulator; P1, 2=prism-pair system for GDD compensation; DM=dichroic mirror; XY=galvanic xy-scanner; L1–3=lenses; MO=microscope objective; SA=sample for imaging or a second-harmonic crystal when MIIPS is executed; F=emission filter; and PMT=photomultiplier tube. (b) Interferometric autocorrelation of the TL pulse at the focus of a Zeiss LD C-APOCHROMAT 40x/1.1 NA objective. Phase-amplitude shaping is used to split the laser pulse into two attenuated replicas with an adjustable time delay. The total SHG signal from a 100- $\mu\text{m}$  KDP crystal at the objective focus is recorded as a function of the pulse timing controlled by the pulse shaper. The autocorrelation FWHM of  $16.6 \pm 0.5$  fs corresponds to  $11.7 \pm 0.4$ -fs pulse duration. Left inset: spectrum of excitation pulses; right inset: SHG spectrum for TL (blue line) and GDD-compensated (black line) laser pulses. (Color online only).

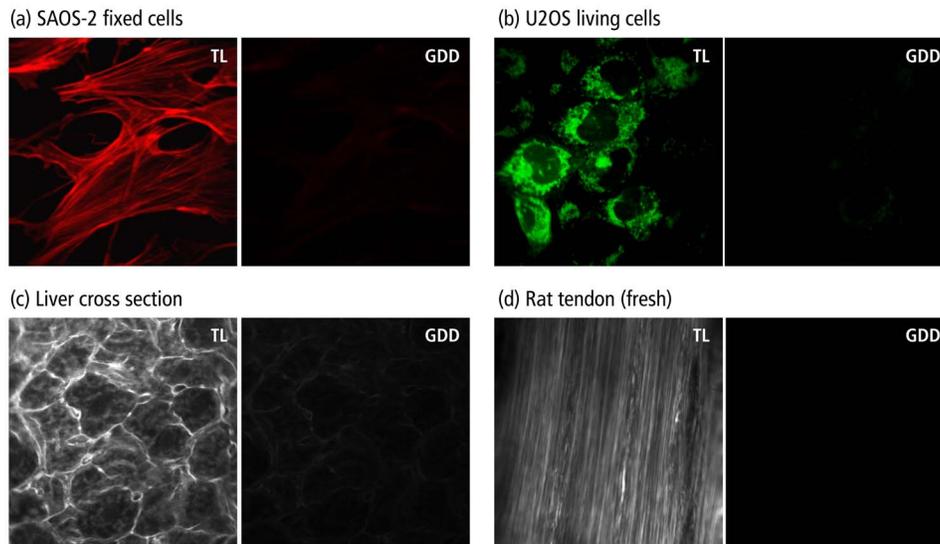
199 and did not allow for routine compensation of phase distortions introduced by the laser alignment or by changing the microscope objective. The situation changed with the introduction of a novel approach called multiphoton intrapulse interference phase scan (MIIPS) developed by the Dantus group.<sup>29–33</sup> MIIPS is an adaptive procedure that measures and cancels GDD, TOD, and higher-order spectral-phase distortion terms.

207 The MIIPS method is based upon monitoring characteristic changes that occur in the spectrum of a nonlinear process, such as second harmonic generation (SHG), when the phase of the input pulse is altered. In particular, it is known that the cancellation of GDD in the presence of TOD at some wavelength  $\lambda$  within the pulse spectrum leads to a local maximum in the SHG spectrum at the corresponding wavelength  $\lambda/2$ . In MIIPS, a pulse shaper with a programmable spatial light modulator (SLM) is used to introduce a reference phase function  $f(\lambda)$ , and the algorithm searches for wavelengths that satisfy the equation  $\varphi''(\lambda) - f''(\lambda) = 0$ , where  $\varphi(\lambda)$  is the unknown spectral phase of the laser pulse at the focal plane. Finding the values that satisfy this equation is as simple as scanning a range of quadratic phase functions (amount of linear chirp) and collecting an SHG spectrum for each such phase. From the SHG spectral peak dependence on the reference phase, the function  $\varphi''(\lambda)$  can be directly obtained. After its double integration, the spectral phase  $\varphi(\lambda)$  is obtained, and a compensation phase (negative of the measured phase) is introduced to obtain TL pulses at the sample. Note that since GDD is measured and corrected for all wavelengths within the pulse spectrum rather than at a single (central) wavelength, MIIPS automatically accounts for all higher orders of dispersion.

## 4 Experiments

A schematic of a MIIPS-enabled multiphoton laser-scanning microscope is shown in Fig. 3(a). The excitation source is a commercially available femtosecond Ti:sapphire oscillator (TS laser kit, KMLabs, Boulder, CO) with the repetition rate of 86 MHz and the output spectral bandwidth corresponding to sub-15-fs (down to  $\sim 10$ -fs) pulses. The laser output is coupled into a 4f pulse shaper.<sup>34,35</sup> The spectral components of the ultrashort laser pulses are dispersed by a plane-ruled reflection grating (300 line/mm; Newport Corp., CA) and then focused with a 3-in. (1 in.=25.4 mm) gold-coated  $f = 760$  mm spherical mirror (Newport Corp., CA) onto a 640-pixel liquid-crystal SLM with a single (phase-only; CRi SLM-640-P, Cambridge Research & Instrumentation, Inc.) or dual (phase-amplitude, CRi SLM-640-D, Cambridge Research & Instrumentation, Inc.) mask. The pulse shaper is calibrated and controlled by MIIPS software (BioPhotonic Solutions, Inc., Okemos, MI). Phase-amplitude shaping is used for autocorrelation measurements to create a pair of TL pulses separated by a tunable time delay. For imaging, however, phase-only compensation suffices. The phase-amplitude shaper has a throughput of 25%, while the phase-only shaper has a throughput of  $\sim 50\%$ . The difference arises from a low-quality polarizer that can be replaced by a high-efficiency polarizer if needed.

The 4f pulse shaper is followed by a standard prism-pair compressor. The prism system serves two purposes. First, it compensates for a major contribution of GDD acquired by the laser pulse along the optical train, and thereby reduces the phase wrapping in the compensation mask introduced by the SLM. Second, it allows for a direct comparison with prism-pair compensated systems used elsewhere.<sup>19,21</sup> In the last case,



**Fig. 4** TPEF/SHG imaging with TL and GDD-compensated ultrashort laser pulses on: (a) SAOS-2 fixed cells stained with phalloidin 568. TPEF signal obtained with TL pulses had an 11-fold greater intensity compared to the signal acquired when GDD-only compensation was used. (b) U2OS living cell stained with MitoTracker 488. The measured gain in TPEF signal intensity was  $\sim 6$ . (c) Mouse liver tissue cross-section stained with MitoTracker 488 and phalloidin 568. The gain factor was  $\sim 7$ . (d) SHG image of a fresh rat tendon with the observed gain of  $\sim 19$ . The images were taken sequentially starting with GDD-only using a Zeiss LD C-APOCHROMAT 40x/1.1 NA objective and were adjusted for the same intensity scale. Image size is  $150 \mu\text{m}$ . TL pulse duration for all images is 12 to 13 fs.

263 the phase mask on the SLM is set to zero for all controlled  
264 spectral components.

265 Following the phase precompensation stages, the laser  
266 beam is scanned by a pair of mirrors that oscillate in the  $x$  and  
267  $y$  directions. A dichroic filter (700DCSPXR, Chroma Technol-  
268 ogy Corp.) in front of the galvanic scanner (QuantumDrive-  
269 1500, Nutfield Technology, Inc.) separates the collected  
270 fluorescence/SHG signal and the scattered excitation light. A  
271 3:1 lens telescope that images the scanning mirrors to the  
272 back aperture of a microscope objective is used to expand the  
273 laser beam and overfill the objective input lens. The water-  
274 immersion objective (Zeiss LD C-APOCHROMAT 40x/1.1,  
275 working distance of 0.62 mm for a 0.17-mm thick cover  
276 glass) is mounted in an adapted Nikon Eclipse TE-200 in-  
277 verted microscope fed through the mercury lamp port.

278 The TPEF (or SHG) signal is collected by the objective  
279 and descanned by the galvanometer mirrors. After passing  
280 through the aforementioned dichroic mirror and a shortpass  
281 emission filter (ET680-SP-2P8, Chroma Technology Corp.),  
282 the acquired fluorescence photons are focused with a  $f$   
283 = 50 mm lens onto a photomultiplier tube (PMT, HC120-  
284 05MOD, Hamamatsu). The signal recording and beam scan-  
285 ning are synchronized by a computer through a data acquisi-  
286 tion board (PCI-6251, National Instruments). For MIIPS  
287 compensation, SHG signal from a thin nonlinear crystal (usu-  
288 ally a  $100\text{-}\mu\text{m}$  KDP crystal fixed on a cover slide) at the focal  
289 plane of the objective is collected in a forward direction with  
290 a  $f=75$  mm lens, then fiber-coupled into a spectrometer  
291 (USB4000, Ocean Optics). While the MIIPS algorithm is ex-  
292 ecuted, the scanning is disabled.

293 Figure 3(b) shows an interferometric autocorrelation of  
294 MIIPS-compensated pulses at the focus of a Zeiss LD  
295 C-APOCHROMAT 40x/1.1 objective. The pair of laser pulses  
296 with a tunable time delay is created via phase-amplitude

shaping,<sup>36</sup> with the corresponding phase mask imposed on top 297  
of the compensation mask retrieved from MIIPS. The auto- 298  
correlation profile is a spectrally integrated SHG signal from a 299  
thin KDP crystal at the focus of the objective and plotted as a 300  
function of delay between the two TL pulse replicas. The 301  
obtained FWHM of the autocorrelation profile,  $16.6 \pm 0.5$  fs, 302  
corresponds to  $11.7 \pm 0.4$ -fs pulse duration and agrees well 303  
with that expected from the recorded IR spectrum [left inset in 304  
Fig. 3(b)]. The FWHM of the SHG spectrum after compensa- 305  
tion is about 31 nm. The autocorrelation trace confirms the 306  
delivery of sub-12-fs pulses at the focus of the objective. 307

## 5 Results and Discussion 308

Various biological samples, spanning from single-colored 309  
fixed and living cells [Figs. 4(a) and 4(b)] to triple-stained 310  
mouse tissue [Fig. 4(c)] and fresh unstained rat-tendon tail 311  
[Fig. 4(d)] are used here to measure the effect of dispersion 312  
compensation. TPEF and SHG images obtained with both 313  
GDD-only compensated and TL pulses were acquired and 314  
compared. The image acquisition parameters were. 512 315  
 $\times 512$  pixels, 30 frames per image with the scanning speed of 316  
1 frame per second. The image size was  $150 \mu\text{m}$ . The laser 317  
power at the sample for all images was around 10 mW. A 318  
neutral density filter was used to attenuate the input laser 319  
power. For every sample, the average signal gain and the stan- 320  
dard deviation were calculated over 15 different locations 321  
across the acquired images. 322

The images of fixed SAOS-2 cells stained with phalloidin 323  
568 in Fig. 4(a) show a typical actin fiber network. The mea- 324  
sured signal gain was  $10.6 \pm 1.4$ . When imaging live U2OS 325  
cells stained with MitoTracker, a specific marker for mitochon- 326  
dria, the observed signal enhancement after full phase distort- 327  
ion compensation over GDD-only correction was  $5.8 \pm 2.7$ . 328

329 [Fig. 4(b)]. A cross-section image of a fixed liver sample  
 330 stained with Mito-Tracker 488 and phalloidin 568 (actin) is  
 331 given in Fig. 4(c). It shows hepatocytes (liver cells) with a  
 332 typical cytoplasmic mitochondrial staining and distinct actin  
 333 staining of the cell boundaries (membrane). The image ob-  
 334 tained using TL pulses exhibits  $6.8 \pm 1.1$  times greater TPEF  
 335 intensity than that acquired with GDD-only compensated  
 336 pulses. Finally, in Fig. 4(d), SHG images of fresh unstained  
 337 rat tendon show collagen fiber enhanced by  $18.8 \pm 3.0$  when  
 338 using TL pulses as oppose to GDD-only compensated.  
 339 Clearly, high-order phase distortions, still present in the spec-  
 340 tral phase of GDD-corrected pulses, have a dramatic effect on  
 341 the amount of TPEF or SHG photons generated in the imaged  
 342 samples when laser sources with  $\sim 100$ -nm bandwidth are  
 343 used.

344 From a practical point of view, one could argue that an  
 345 increase of the laser pulse bandwidth from 30 nm, for which  
 346 compensation can be accomplished via a prism pair compres-  
 347 sor, to 100-nm results in a factor-of-3 enhancement in the  
 348 TPEF intensity. However, the drawbacks are (1) added pulse  
 349 shaper complexity, and (2) unknown impact on phototoxicity.  
 350 But please note, that for the added complexity of the setup,  
 351 one gains the ability to deliver TL or accurately shaped pulses  
 352 from any femtosecond laser through any objective. The pre-  
 353 compensation process is fully automated and takes about two  
 354 minutes. This translates into reproducible imaging data on a  
 355 day-to-day basis and between different setups. As for the sec-  
 356 ond point, phototoxicity is not relevant when imaging fixed  
 357 samples, but photobleaching is. The preliminary results in  
 358 Ref. 22 indicate that the photobleaching rate does not increase  
 359 with shorter pulses. The phototoxicity of ultrashort pulses on  
 360 living samples is currently under investigation, and the results  
 361 are to be published elsewhere.

## 362 6 Conclusion

363 The concept of improving TPEF signal by increasing laser  
 364 peak power is widely known; however, in spite of the ex-  
 365 pected benefit, sub-15-fs laser pulses are rarely used in the  
 366 biomedical field. Chromatic dispersion is one of the main fac-  
 367 tors that limit the utilization of ultrashort laser pulses in  
 368 MPM. But by using a pulse shaper and an accurate means for  
 369 pulse characterization, as shown here with MIIPS, one can  
 370 precompensate for pulse phase distortions and recover the an-  
 371 ticipated advantages. Autocorrelation measurements confirm  
 372 delivery of sub-12-fs TL pulses at the focus of the microscope  
 373 objective. Comparative two-photon imaging with TL and  
 374 GDD-corrected laser pulses of the same energy showed that a  
 375 6-to-11-fold improvement in TPEF signal and up to a 19-fold  
 376 improvement in SHG signal can be obtained in fixed and liv-  
 377 ing cells, as well as in fixed mouse tissue and fresh rat tendon.

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AQ:  
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#1 au: please clarify-Is this 940 nm X fs?

#2 au: ok?